

# KAIRA RIOMETRY

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$$\begin{aligned} & PROPAGATION \\ & n^2 = 1 - \frac{X}{1 - iZ - [\frac{Y_{\perp}^2}{2(1 - X - iZ)}] \pm [\frac{Y_{\perp}^4}{4(1 - X - iZ)^2} + Y_{\parallel}^4]^{\frac{1}{2}}} \end{aligned}$$

#### Appleton-Hartree Equation

$$\begin{aligned} & PROPAGATION \\ & n^2 = 1 - \frac{X}{1 - iZ - [\frac{Y_{\perp}^2}{2(1 - X - iZ)}] \pm [\frac{Y_{\perp}^4}{4(1 - X - iZ)^2} + Y_{\parallel}^4]^{\frac{1}{2}}} \end{aligned}$$

 $X = \omega_{\rm N}^2 / \omega^2; \quad Y = \omega_{\rm B} / \omega; \quad Y_{\parallel} = \omega_{\rm B_{\parallel}} / \omega; \quad Y_{\perp} = \omega_{\rm B_{\perp}} / \omega; \quad Z = \nu / \omega;$ 





#### Plasma frequency



# Collision frequency



**PROPAGATION**  
$$n^{2} = 1 - \frac{X}{1 - iZ - \left[\frac{Y_{\perp}^{2}}{2(1 - X - iZ)}\right] \pm \left[\frac{Y_{\perp}^{4}}{4(1 - X - iZ)^{2}} + Y_{\parallel}^{4}\right]^{\frac{1}{2}}}$$
$$X = \omega_{N}^{2}/\omega^{2}; \quad Y = M_{N}/\omega; \quad Y_{\parallel} = \omega_{N}/\omega; \quad Y_{\perp} = M_{N}/\omega; \quad Z = \nu/\omega;$$
$$n^{2} = 1 - \frac{X}{1 - iZ} = 1 - \frac{\omega_{N}^{2}}{\omega(\omega - i\nu)}$$

$$n^2 = 1 - \frac{X}{1 - iZ} = 1 - \frac{\omega_{\rm N}^2}{\omega(\omega - i\nu)}$$

Complex 
$$n = \mu - i\chi$$

Exp. decay 
$$\exp(-x\chi\omega/c)\cos\omega(t-x\mu c)$$

$$n^{2} = 1 - \frac{X}{1 - iZ} = 1 - \frac{\omega_{N}^{2}}{\omega(\omega - i\nu)}$$
Complex
$$n = \mu - i\chi$$
Exp. decay
$$\exp(-x\chi\omega/c)\cos\omega(t - x\mu c)$$
Abs. coeff
$$\kappa = \frac{\omega}{c} \cdot \frac{1}{2\mu} \cdot \frac{XZ}{1 + Z^{2}} = \frac{e^{2}}{2\epsilon_{0}mc} \cdot \frac{1}{\mu} \cdot \frac{N_{e}\nu}{\omega^{2} + \nu^{2}}$$

Riometry Eqn.  $A = 4.5 \times 10^{-5} \int \frac{N_e \nu}{\omega^2 + \nu^2} dx \text{ (dB)}$ 

## CAUSES

- D-region, free electrons
- Collisional plasma, chemically complicated
- Multiple sources of ionisation
  - Lyα ionises NO
  - EUV ionises  $O_2(\Delta g)$
  - Hard X-ray and EUV ionise  $O_2$  and  $N_2$
  - Galactic cosmic rays
  - Solar particle and auroral precipitation



### KAIRA

Low-Band Antenna (LBA) array 34 m diameter 48 aerials 10-90 MHz

High-Band Antenna (HBA) array 51m x 31 m 48 tiles 110-270 MHz







## RIOMETRY

Riometry Absorption Eqn. 
$$A=4.5\times 10^{-5}\int \frac{N_{\rm e}\nu}{\omega^2+\nu^2}~dx~({\rm dB})$$

Observed Absorption

$$A = 10 \log_{10}(P_{\rm q}/P)$$





Giardino et al., A&A 387, 82-97 (2002).







# However, this is already being done by the SGO riometer chain



## MULTIBEAM



However, this is already being done by the IRIS multibeam riometer

38.1 MHz49 antennas7x7 matrix49 beams





## LOFAR

More stable

Nicer beam shape

Steerable beams

Better, but not ground-breaking...

# However, there are two innovations



## 1 MULTI-FREQUENCY

## Riometry Eqn. $A = 4.5 \times 10^{-5} \int \frac{N_e \nu}{\omega^2 + \nu^2} dx \text{ (dB)}$

#### This is an inverse problem!

Kero, Vierinen, Virtanen et al. (2013)



## MULTI-FREQUENCY

Riometry Eqn.  $A = 4.5 \times 10^{-5} \int \frac{N_e \nu}{\omega^2 + \nu^2} dx$  (dB)



Kero, Vierinen, Virtanen et al. (2013)



## 2 INTERFEROMETRY



## INTERFEROMETRY

Like riometry, but in 2D vCZ theorem

Build up QSP

Derive Abs.



#### Data July-October 2013 at 38.1 MHz

#### Shown here: 01-08 Oct 2013











# + ADVANTAGES

All-sky All-weather All-season

# + ADVANTAGES

All-weather All-season

# - DISADVANTAGES

Resolution Single-frequency (at the moment)



Multi-frequency, interferometry

Multi-station (Finland, ILT)

Improved Inverse Problem algorithms

Improved ionospheric models

Applications (space, aviation, forecasting)

# CONCLUSIONS

Inverse problem  $\rightarrow$  electron densities

All-sky inteferometric riometry

Viable for all-season auroral monitoring

Noise ↔ Data



# Thank you!

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